

① Write a C program to perform multiplication of two matrices

Ans) Program :-

```
#include <stdio.h>
int main() {
    int a[10][10], b[10][10], mul[10][10], r, c, i, j, k;
    printf("Enter the number of row = ");
    scanf("%d", &r);
    printf("Enter the first number of column = ");
    scanf("%d", &c);
    printf("Enter the first matrix elements = \n");
    for(i=0; i<r; i++) {
        for(j=0; j<c; j++) {
            scanf("%d", &a[i][j]);
        }
        printf("Enter the second matrix elements = \n");
        for(i=0; i<r; i++) {
            for(j=0; j<c; j++) {
                scanf("%d", &b[i][j]);
            }
        }
        printf("multiply of the matrix = \n");
        for(i=0; i<r; i++) {
            for(j=0; j<c; j++) {
                mul[i][j] = 0;
                for(k=0; k<c; k++) {
                    mul[i][j] += a[i][k] * b[k][j];
                }
            }
        }
        for(i=0; i<r; i++) {
            for(j=0; j<c; j++) {
                printf("%d |t", mul[i][j]);
            }
            printf("\n");
        }
    }
    return 0;
}
```

}

①

Output :-

Enter the number of row = 2

Enter the number of column = 2

Enter the first matrix elements =

4

5

3

2

Enter the second matrix elements =

3

4

8

9

multiply of the matrix =

52 61

25 30

② Write Various algorithms for basic operations on Stack.

A stack is defined as linear data structure in which the insertion and deletion operations are performed on the same end of the stack. Stack follows LIFO (Last-In-first-Out) mechanism.

Representation of a stack :-

A Stack can be represented in the memory in two ways

(1) Array Representation of Stacks.

(2) Linked-List Representation of Stacks.

The basic operations required to manipulate a stack are :

(1) PUSH → To insert an item into a stack

(2) POP → To remove an item from a stack

(3) STATUS → To know the present status (state) of a stack.

1. The Operators for a stack, represented with Arrays:-

1. Algorithm - Push - Array:-

Steps :-

1. If  $Top \geq size$  then

2. print "Stack is full".

3. Else

4.  $Top = Top + 1$

5.  $A[Top] = ITEM$

6. EndIf

7. stop

2. Algorithm Pop - Array :-

Steps :-

1. If  $Top < 1$  then

2. print "Stack is empty".

3. Else

4.  $ITEM = A[Top]$

5.  $Top = Top - 1$

6. EndIf

7. Stop

3. Algorithm status - Array :-

Steps :-

1. If  $Top < 1$  then

2. print "Stack is Empty".

3. Else

4. If  $(Top \geq size)$  then

5. print "Stack is full".

6. Else

7. print "The Element at Top is ",  $A[Top]$

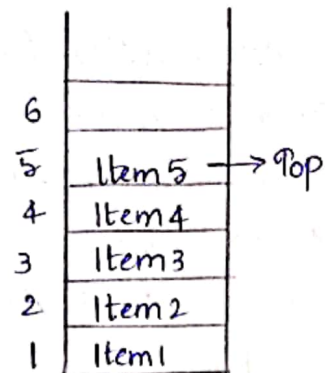
8.  $free = (size - Top) / size * 100$

9. print "Percentage of free stack is ", free

10. EndIf

11. EndIf

12. stop

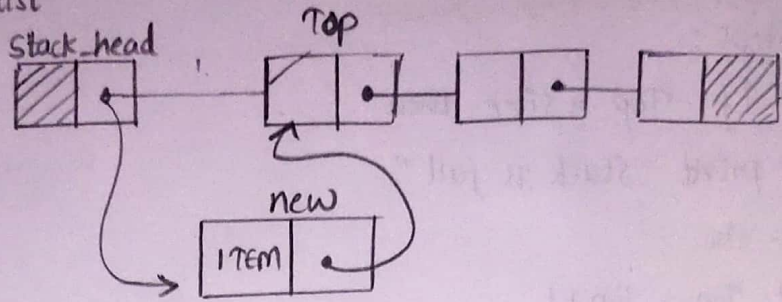


The Operators for a Stack represented with Linked lists :-

1) Algorithm PUSH - Linked list

Steps :-

1.  $new = \text{GetNode}(\text{NODE})$
2.  $new \rightarrow \text{DATA} = \text{ITEM}$
3.  $new \rightarrow \text{LINK} = \text{TOP}$
4.  $\text{TOP} = new$
5.  $\text{stack\_head} \rightarrow \text{LINK} = \text{TOP}$
6. stop



GetNode Algorithm :-

Steps :-

1. If ( $\text{AVAIL} = \text{NULL}$ )
2. Return ( $\text{NULL}$ )
3. Print "Insufficient memory : Unable to allocate memory".
4. Else
5.  $ptr = \text{AVAIL}$
6. while ( $\text{sizeof}(ptr) \neq \text{sizeof}(\text{NODE})$ ) and ( $ptr \rightarrow \text{LINK} \neq \text{NULL}$ ) do
7.  $ptr1 = ptr$
8.  $ptr = ptr \rightarrow \text{LINK}$
9. EndWhile
10. If ( $\text{sizeof}(ptr1) = \text{sizeof}(\text{NODE})$ )
11.  $ptr1 \rightarrow \text{LINK} = ptr \rightarrow \text{LINK}$
12. Return( $ptr1$ )
13. Else
14. print "The memory block is too large to fit"
15. Return( $\text{NULL}$ )
16. EndIf
17. EndIf
18. stop

## 2) Algorithm POP - Linked list

Steps:-

1. If  $Top = NULL$
2. print "Stack is Empty"
3. Exit
4. Else
5.  $Ptr = Top \rightarrow LINK$
6.  $ITEM = Top \rightarrow DATA$
7.  $stack\_head \rightarrow LINK = Ptr$
8.  $Top = Ptr$
9. EndIf
10. Stop

## 3) Algorithm Status - Linked list

Steps:-

1.  $Ptr = stack\_head \rightarrow LINK$
2. If  $(Ptr = NULL)$  then
3. print "Stack is Empty".
4. Else
5.  $node\_count = 0$
6. while  $(Ptr \neq NULL)$  do
7.  $node\_count = node\_count + 1$
8.  $Ptr = Ptr \rightarrow LINK$
9. EndWhile
10. print "The item at the front is ",  $TOP \rightarrow DATA$ , "stack contains",  
 $node\_count$ , "Number of items".
11. EndIf
12. stop

3. Convert Infix expression into its equivalent post fix expression

$$A * (B + D) / E - F * (G + H / K)$$

Input  $A * (B + D) / E - F * (G + H / K)$

Read Symbol	Stack	Output
Initial		
1		A
2	*	A
3	* (	A
4	* (	AB
5	* (+	AB
6	* (+	ABD
7	/	ABD + *
8	/	ABD + * E
9	-	ABD + * E /
10	-	ABD + * E / F
11	- *	ABD + * E / F
12	- * (	ABD + * E / F
13	- * (	ABD + * E / FG
14	- * (+	ABD + * E / FG
15	- * (+	ABD + * E / FGH
16	- * (+ /	ABD + * E / FGH
17	- * (+ /	ABD + * E / FGHK
18		ABD + * E / FGHK / + * -

Output :- postfix Expression is  $ABD + * E / FGHK / + * -$